The van der Waals Equation of State Standard forms of the equation are:

 $(P + a/V^2)(V - b) = RT.$

Reduced form:

z = PV/RT = V/(V - b) - a/RTV.

Polynomial forms are:

$$V^{3} - \left(h + \frac{RT}{L}\right)V^{2} + \frac{a}{L}V - \frac{ab}{L} = 0$$

$$V^{3} - \left(b + \frac{RT}{P}\right)V^{2} + \frac{a}{P}V - \frac{ab}{P} = 0,$$

$$z^{3} - \left(\frac{bP}{P} + 1\right)z^{2} + \frac{aP}{P}z - \frac{abP^{2}}{P}z^{2} + \frac{aP}{P}z^{2} +$$

$$z^{3} - \left(\frac{bP}{RT} + 1\right)z^{2} + \frac{aP}{(RT)^{2}}z - \frac{abP^{2}}{(RT)^{3}} = 0.$$
Virial form:

Virial form:

$$z = 1 + \left(b - \frac{a}{RT}\right) \frac{1}{V} + \left(\frac{b}{V}\right)^2 + \left(\frac{b}{V}\right)^3 + \cdots$$

$$+\left(\frac{3}{\nu}\right) + \left(\frac{3}{\nu}\right) + \cdots$$

$$(5)$$

$$1) = 8T \tag{6}$$

$$\left(P_r + \frac{3}{V_r^2}\right)(3V_r - 1) = 8T_r$$
The parameters in terms of critical properties:
$$q = 3P V^2 = 27R^2T^2/64P$$
(7)

The parameters in terms of critical properties:

$$a = 3P_cV_c^2 = 27R^2T_c^2/64P_c, \qquad (7)$$

$$b = V_c/3 = RT_c/8P_c, \qquad (8)$$

$$R = 9RV_c/3T$$

$$a = SP_c V_c = 2/R T_c / 64P_c,$$

$$b = V_c / 3 = RT_c / 8P_c,$$

$$R = 8P_c V_c / 3T_c,$$

$$z_c = 0.375.$$
(10)

 $\left(\frac{\partial^2 P}{\partial V^2}\right)_{-} = \frac{2RT_c}{(V_c - b)^3} - \frac{6a}{V_c^4} = 0.$

Also.

lines 7-9.

(1)

(2)

(3)

Also,
$$\left(P_c + \frac{a}{V_c^2} \right) (V_c - b) = RT_c.$$

Derivation of the formulas for a and b:

 $\left(\frac{\partial P}{\partial V}\right)_{-} = -\frac{RT_c}{(V_c - b)^2} + \frac{2a}{V_c^3} = 0,$

forming these differentiations.

Method 1: At the critical condition, the first and second

derivatives with respect to V at constant T are zero. Per-

$$\left(\begin{array}{c} P_c + \frac{1}{V_c^2} \right) (V_c - b) = RT_c. \eqno(13)$$
 Eqs. 11-13 are solved simultaneously to obtain the results of lines 7-9.
 Method 2: At the critical point, the three roots of the

Method 2: At the critical point, the three roots of the polynomial, Eq. 3, are equal.
$$(V - V_c)^3 = V^3 - 3V_cV^2 + 3V_c^2V - V_c^3 = 0. \tag{14}$$

$$(V-V_c)^3 = V^3 - 3V_cV^2 + 3V_c^2V - V_c^3 = 0.$$
 (14)
Comparison of coefficients of like powers of Eqs. 3 and 14 will lead to the same results for the parameters as by method

d in terms of the grules:

$$v_j a_{ij}$$
; (15)

(11)

(12)

(13)

pure component parameters by the combining rules: (9) $a = (\sum y_i \sqrt{a_i})^2 = \sum \sum y_i y_i \sqrt{a_i a_i} = \sum \sum y_i y_i a_{ii};$ (10) $b = \sum y_i b_i$. (16)The value of R given by Eq. 9 is not the same as the true gas constant, 8.314 joules/gmol-K; the true value should be used Fugacity equations are in tables 3.3 and 3.4. Residual property equations are in Table 11.3.

for evaluation of the parameters a and b from Eqs. 7 & 8.